

# Private and Reliable Communication with Untrusted Components

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**Note:** this is a summary of a 6 hours talk.



# OVERVIEW

1. The enemy is inside
2. What does this mean in the communication context?
3. Denial of service during communication: the issues
4. Complexity of the problem: illustration
5. Classical results
6. Point-to-point networks
7. Partial broadcast
8. Potential applications
9. Some techniques
10. Techniques for general adversary structures
11. Implementations
12. What value should we have for  $t$ ?
13. Conclusions

# 1. THE ENEMY IS INSIDE

Since 1946 the British knew about the “atomic spies” at Los Alamos (see e.g., the arrest of Allan Nunn May). Many more got arrested later.

It seems the West has not understood for a long time that:

**The enemy is inside**

Indeed, we now have many examples, such as Kim Philby (defected to the Soviets in 1963), ...

Harsh pre-trial punishments, as solitaire confinement (Bradley Manning) has not helped (see Edward Snowden).

Since 1987, my main line of research has been on finding techniques to secure IT systems in which we assume that the enemy is inside. So, I helped, for example, to develop:

- **Threshold cryptography**, in which one cannot trust all devices that will be used for decryption or for signatures, either because:
  - their keys may have been compromised, or
  - the manufacturer may have become an adversary, or
  - the machine has been hacked.

In this lecture, we will survey some of the research done to design **communication systems** in which:

- the manufacturer may have become an adversary,
- the equipment has been hacked.

The design allows for the possibility **not to know in advance who the adversary will be**, a concept borrowed from the reliability community (see further for details).

## 2. WHAT DOES THIS MEAN IN THE COMMUNICATION CONTEXT?

We give just three examples:

1. DigiNotar
2. BT's use of of Huawei equipment
3. Diverted Huawei documents when using FedEx

# DigiNotar dies from certificate hack caper

■ ■ ■

By [Gregg Keizer](#)

September 21, 2011 04:09 PM ET

[2 Comments](#)

Share Like 1

Computerworld - The Dutch company that was hacked earlier this summer by certificate thieves has gone bust and shut down, its U.S.-based owner said Tuesday.

■ ■ ■

[DigiNotar confirmed](#) that it had first discovered the intrusion on July 19, but had not disclosed the breach to browser makers, the Dutch government -- which used DigiNotar certificates to validate the identities of many of its websites -- or other customers until more than a month later.

An investigation sponsored by the Dutch government revealed that the hacker or hackers first compromised DigiNotar's servers in mid-June and made off with more than 500 certificates.

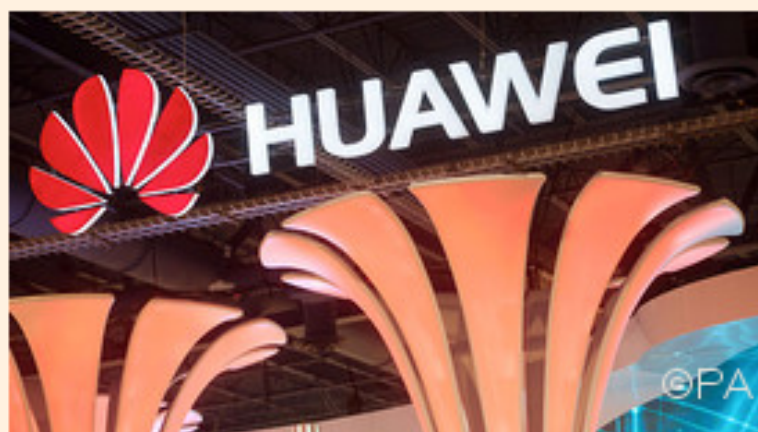
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# UK security committee ‘shocked’ over Huawei contract with BT

By James Blitz and Daniel Thomas



A parliamentary committee has attacked the British government’s failure to investigate the use of equipment from China’s Huawei in the UK

national telecommunications network, saying security issues “risked being overlooked”.

EDITOR’S CHOICE

MARTIN WOLF



The danger of inflation is



However, the committee, which comprises leading politicians and civil servants, said there would always be risks involved in any telecoms system sourced from abroad – and the UK authorities were not doing enough to manage that risk.

The committee said its investigation revealed “a disconnect between the UK’s inward investment policy and its national security policy.”

In particular, it said a centre set up by the government to monitor the physical equipment and software used by Huawei, “is highly unlikely to provide, or to be seen to provide, the required levels of security assurance”.

[Read more about The Connected Business](#)



MARKETS

# Beijing targets FedEx for 'damaging rights of Chinese clients' amid Huawei dispute

PUBLISHED SAT, JUN 1 2019 • 9:33 AM EDT | UPDATED SAT, JUN 1 2019 • 9:08 PM EDT



Spencer Kimball @SPENCEKIMBALL

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## KEY POINTS

- According to Xinhua, FedEx failed to deliver express packages to designated addresses in China, "seriously damaging the lawful rights and interests of its clients and violating laws and regulations governing the express industry in China."

## TRENDING NOW



Japanese oil disagrees with that a mine near Iran

### 3. DENIAL OF SERVICE DURING COMMUNICATION: THE ISSUES

There are several issues, depending on:

**The type of network.** We distinguish:

**Point-to-point networks**

**(Partial) broadcast**

**The type of adversary.** We have:

**Passive adversary** has control to a subset of nodes (and/or links).

The adversary has access to all information received by these nodes (and all secrets of these nodes).

**Active adversary.** The nodes (and/or links) over which the adversary has control can behave in a Byzantine way. This means

they can decide, not to forward information, modify, not follow the protocol, follow the protocol, etc.

**Destroyed nodes**, (fail-and-stop) i.e. just stops communicating.

**Jamming adversary** in the case of (partial) broadcast, a third party can prevent communication between two parties.

**The nodes controlled by the adversary.** These can be specified by a **threshold**. A  $t$ -bounded adversary can control up to  $t$  nodes.

**an adversary structure.** Let  $V$  be the nodes in the network. An adversary structure  $\mathcal{A}_V$  over  $V$  is a subset of the power set  $2^V$  such that if  $B \in \mathcal{A}_V$  then subsets of  $B$  are also in  $\mathcal{A}_V$ .

**The level of security.** We distinguish between:

**Perfect** (see further).

**$\delta$ -reliability**, i.e. with probability at least  $1 - \delta$ ,  $B$  terminates with the same message as  $A$  sent.

**$\varepsilon$ -privacy**. Unconditional security (See literature: Franklin-Wright.)

Edge: considered private communication.

The perfect case corresponds to  $\delta = 0$  and  $\varepsilon = 0$ .

**The security of sender/receiver** We distinguish between the case

the sender and/or receiver:

- can use trusted equipment
- can **not** use trusted equipment

**Decisional versus search.** We distinguish between:

**Decisional questions:** given a network, does it allow the desired security against a type of adversary? So, issues are:

- necessary and sufficient conditions
- if possible, what protocol do the participants run
- an algorithm for deciding, or
- proving the problem is hard (e.g. **NP**-hard).

**Computational questions** , in particular:

**Construct a network** for the desired security against a type of adversary with parameters, e.g. number of nodes is given.

Issues:

**Bounds:** Necessary conditions

## **Constructions:** Sufficient conditions

**Update a network.** Start from existing network (satisfying a security property). How to update it (with minimum “cost”) so it satisfies a (new) security property?

## 4. COMPLEXITY OF THE PROBLEM: ILLUSTRATION

What about the following solution:

Send a message using standard techniques (TCP), when not receiving an acknowledgment, then the adversary must have control over the communication path. Use a different path then.

This technique does **not** work

(except when using end-to-end authentication, which is non-trivial without the use of a PKI, which is itself a “directed graph” (of which computer signs someone’s else public key)).

Indeed, the adversary **will just send a fraudulent ACK to the sender.**

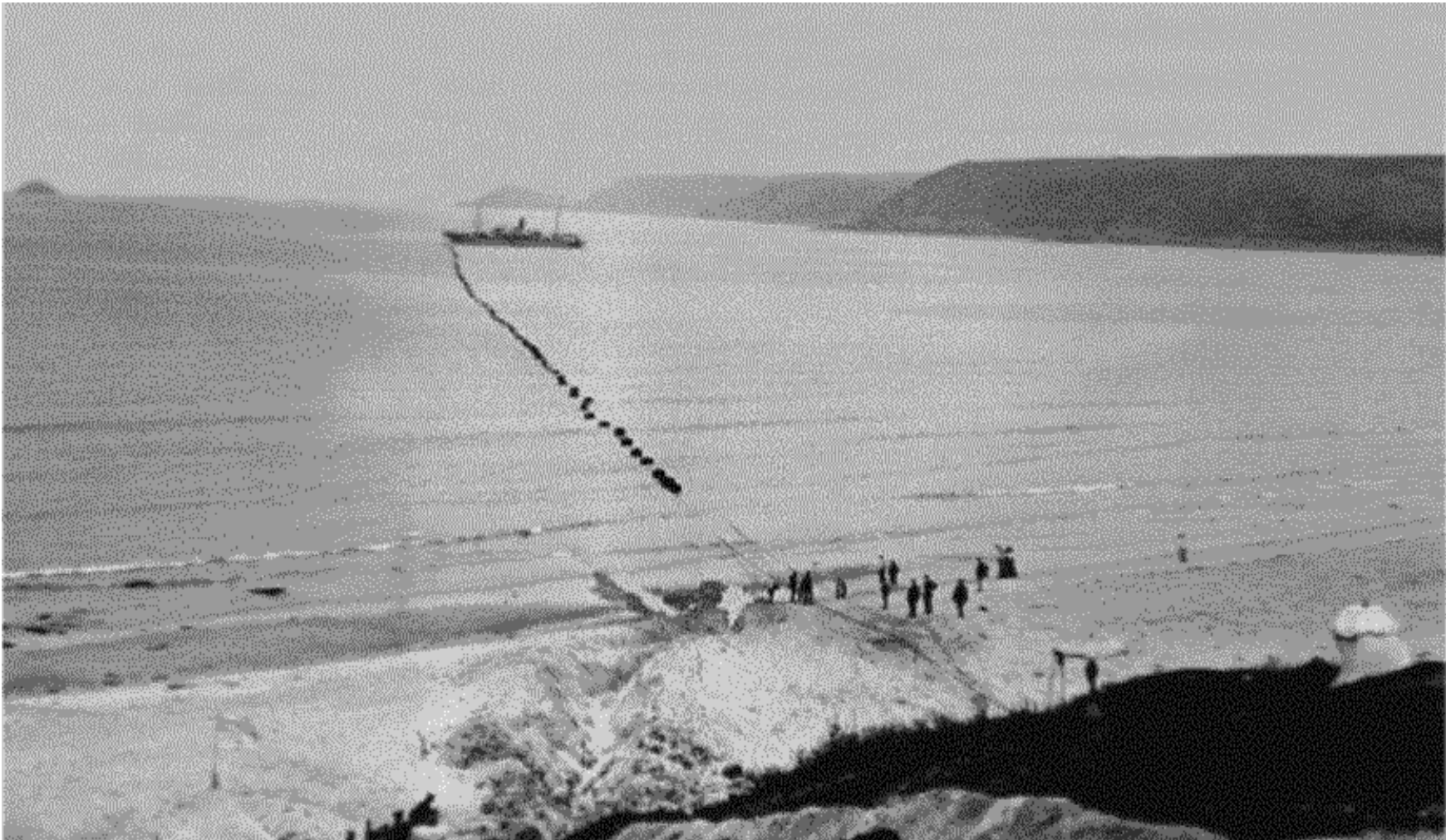
The solutions borrow from the reliability community. As an example:

When you fly an airbus, 3 computers compute fuel consumption, route, etc. **all the time!**



## 5. CLASSICAL RESULTS

This goes back to World War I, after the cable ship **Telconia** lifted from the bed of the North Sea the German overseas telegraph cables:





If the adversary can be Byzantine, then one needs  $2t + 1$  vertex disjoint paths, respectively  $2t + 1$  connectivity.

Dolev-Dwork-Waarts-Yung (1993) added privacy. They required perfect reliability, and perfect privacy.

## 6. POINT-TO-POINT NETWORKS

- Sender/receiver equipment is trusted:

- Point-to-point: threshold adversary:

Dolev-Dwork-Waarts-Yung (1993) considered:

all communication links (edges in the graph) are:

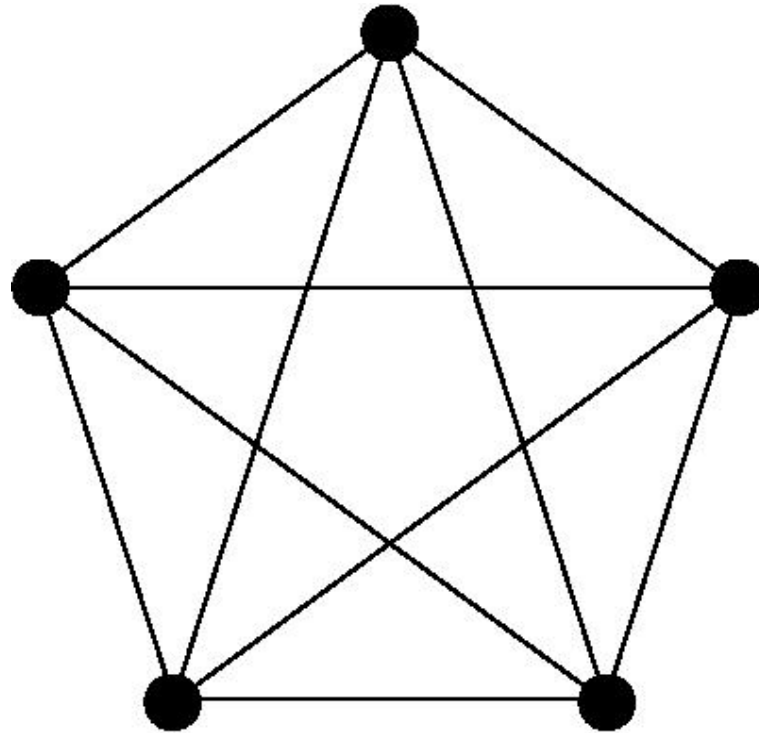
**one-way without feedback.** It is necessary and sufficient to have

$3t + 1$  vertex disjoint directed paths from  $A$  to  $B$  (for any two nodes: the graph must be  $3t + 1$  connected).

**Definition 1.** A graph is (vertex) 1-connected if there is a path from every vertex to every vertex. When  $k > 1$ , a graph is  $k$ -connected if after the removal of any single vertex (and its adjacent edges) remains  $(k - 1)$ -connected.

**Theorem 1.** *A graph is  $k$ -connected if and only if between any two vertices  $A$  and  $B$  there are  $k$  vertex disjoint paths.*

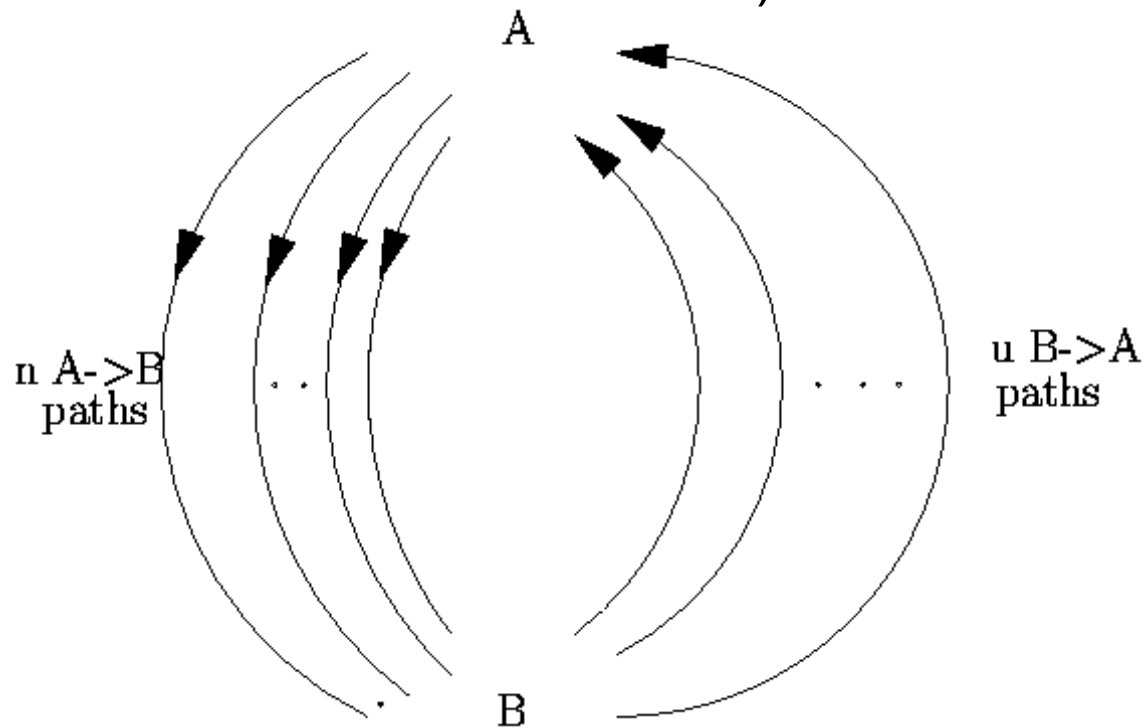
Example:



**two-way.**  $2t + 1$  vertex disjoint paths are necessary and sufficient.

Their algorithm was inefficient. It took until 2008 until it was made practical (Kurosawa-Suzuki).

Desmedt and Wang (2002) observed above are not the most general cases, since there **could be feedback channels**. They focused primarily on the case the feedback channels are vertex disjoint from the forward channels. (Several follow papers improved on some of these results.)



- **Point-to-point: general adversary** What is a general adversary structure?

Given a set  $P$  (e.g., of nodes and links), one specifies what subsets **might** behave maliciously. So, as stated earlier:

The design allows for the possibility **not to know in advance who the adversary will be.**

This prevents preparing everything for a full blown war with the Soviets, and then being attacked by Al Qaeda on September 11, 2001.

Example set  $P = \{1, 2, 3\}$  and  $\mathcal{A}_P = \{\{1\}, \{2, 3\}, \{2\}, \{3\}, \emptyset\}$ .

Maximal adversary set:  $\mathcal{A}_P^* = \{\{1\}, \{2, 3\}\}$ .

**Applied to communication:**

Let  $A$  and  $B$  be the sender and receiver. Let

$Z_1, Z_2, Z_3 \in \Lambda_{V \setminus \{A, B\}}$ .

A necessary and sufficient condition for  $A$  and  $B$  to privately communicate in the presence of a Byzantine adversary, in the case **all communication links** (edges in the graph) are:

**two-way** that removing any nodes specified by any  $Z_1 \cup Z_2$  (see above)  $A, B$  remain connected

(Kumar-Goundan-Srinathan-Rangan, 2002).

**one-way without feedback**, that removing any nodes specified by any  $Z_1 \cup Z_2 \cup Z_3$  is that  $A, B$  remain connected  
(Desmedt-Wang-Burmester, 2005).

Necessary and sufficient conditions for **privacy-only** and perfect **reliability-only** were given in Desmedt-Wang-Burmester, 2005.

(See also Yang-Desmedt, for efficiency improvements.)



**Note:** this work predates Perrig (ETH Zurich) work. Moreover, it avoids to have a “declared adversary,” as happened during the cold war. In that case September 11 attack was not by the Soviets!

- **Sender/receiver equipment is untrusted:** (e.g., when the country is technological challenged, or has outsourced all its production of electronics).

Two cases were studied:

- Non-interactive  $\text{mod}10$  with a human receiver
- Two-phase  $\text{mod}10$  with a human receiver

Moreover, a method to add  $\text{mod}10$  in a human friendly way was proposed and human experiments confirmed its ease.

For details: Erotokritou-Desmedt 2012.

## 7. PARTIAL BROADCAST

- The general case

Franklin-Yung (1995,2004) replaced the point-to-point network by a **partial broadcast**. They use a directed hypergraph. A directed hypergraph  $H = (V, E)$  consists of set of vertices  $V$ , however a directed hyperedge  $e \in E$  has the form  $(v, V')$ , where  $v \in V$  and  $V' \subset V$ . **When the node  $v$  uses this directed hyperedge all nodes in  $V'$  receive the same information (others learn nothing about that information).**

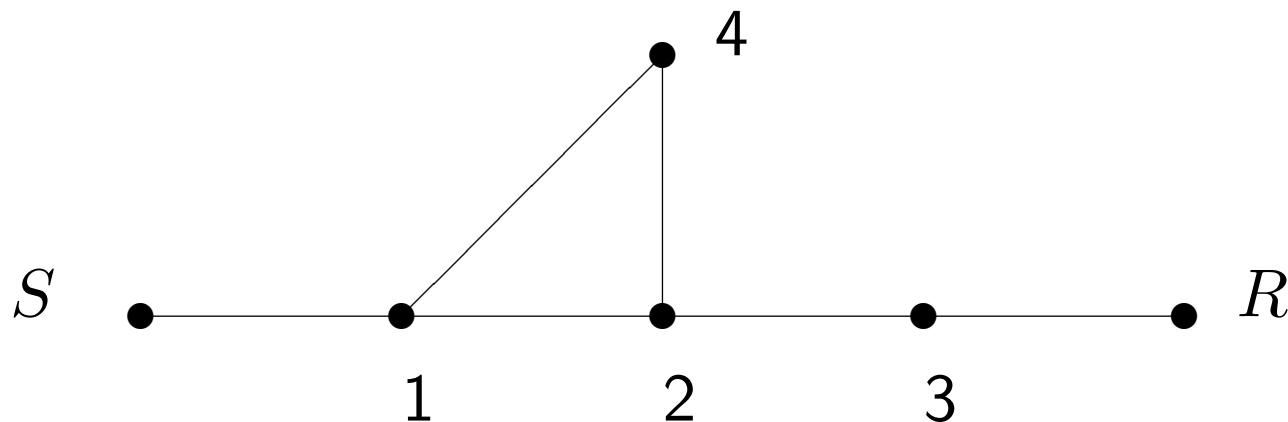
For the threshold case, Franklin-Yung gave necessary and sufficient conditions for **privacy-only**.

- **Partial broadcast: the multicast case**

Franklin-Yung also introduced special cases, one of these is called a **neighbor network**, which can be represented by an ordinary graph. **Ethernets are a special case** of these.

In this graph if a vertex broadcast a message, all its neighbors will receive identically the same information.

Example:



If node 2 sends  $u$ , **1, 3, and 4 receive the same  $u$** . Using Franklin-Yung 1995 terminology,  $(2, \{1, 3, 4\})$  is a **directed hyperedge** in which 2 is broadcasting.

Necessary and sufficient conditions for privacy and reliability were an open problem since 1995 and were finally solved in 2011 (Yang-Desmedt).

## 8. POTENTIAL APPLICATIONS

We give two examples:

- PKI:

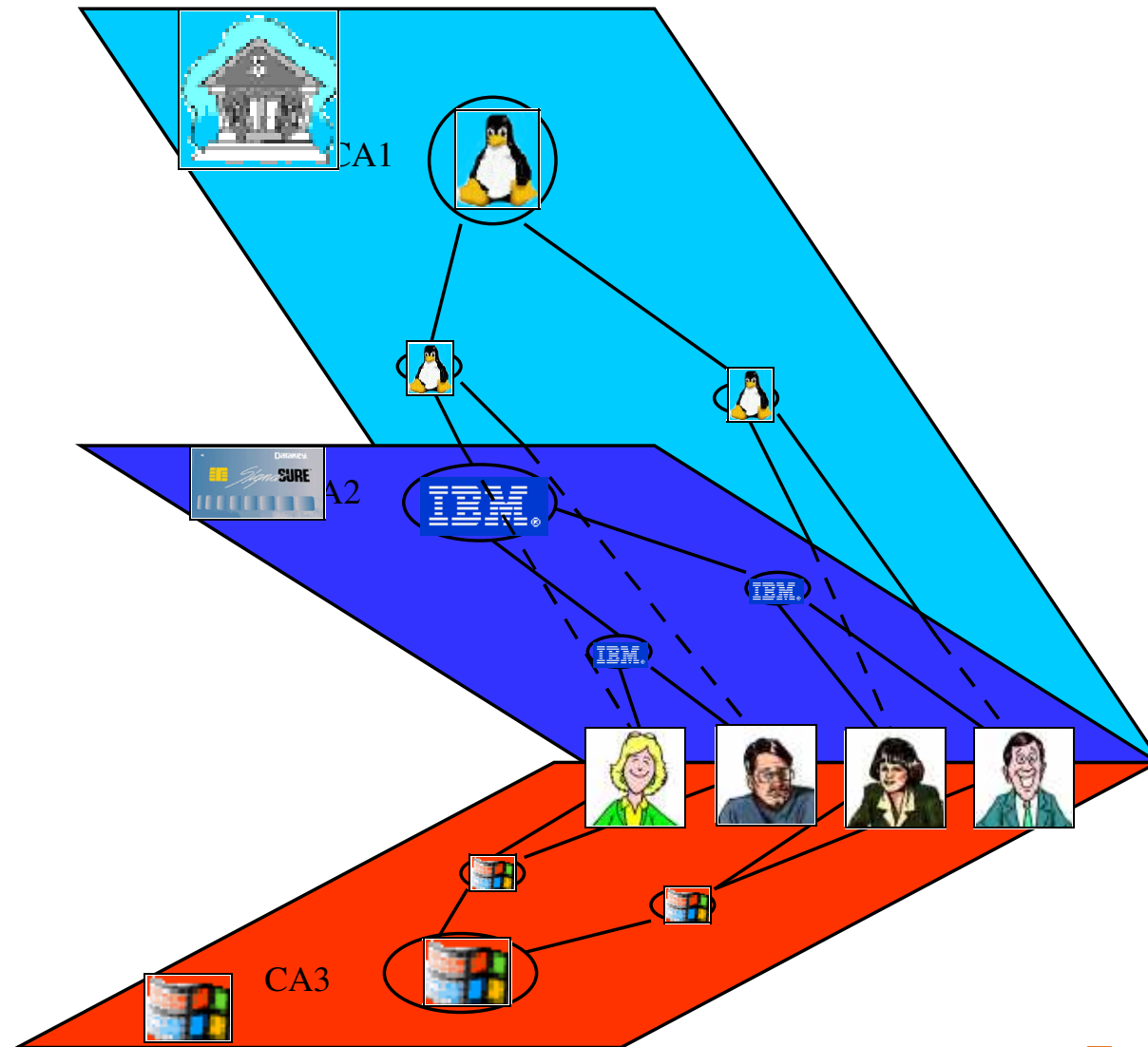
PKI is the foundation of electronic commerce. It is supposed to guarantee the correctness of the public keys used in secure modern communication.

In 1996 Burmester-Desmedt-Kabatianskii and independently in 1997 Reiter-Stubblebine pointed out that in the currently deployed PKI every node is a single point of failure (from a security viewpoint). An alternative, also hierarchical in nature, as the current PKI was proposed by Burmester-Desmedt in a paper with title

**Is hierarchical public-key certification the next target for hackers?**

in 2004 using “colors” to model CA platforms that could be hacked.

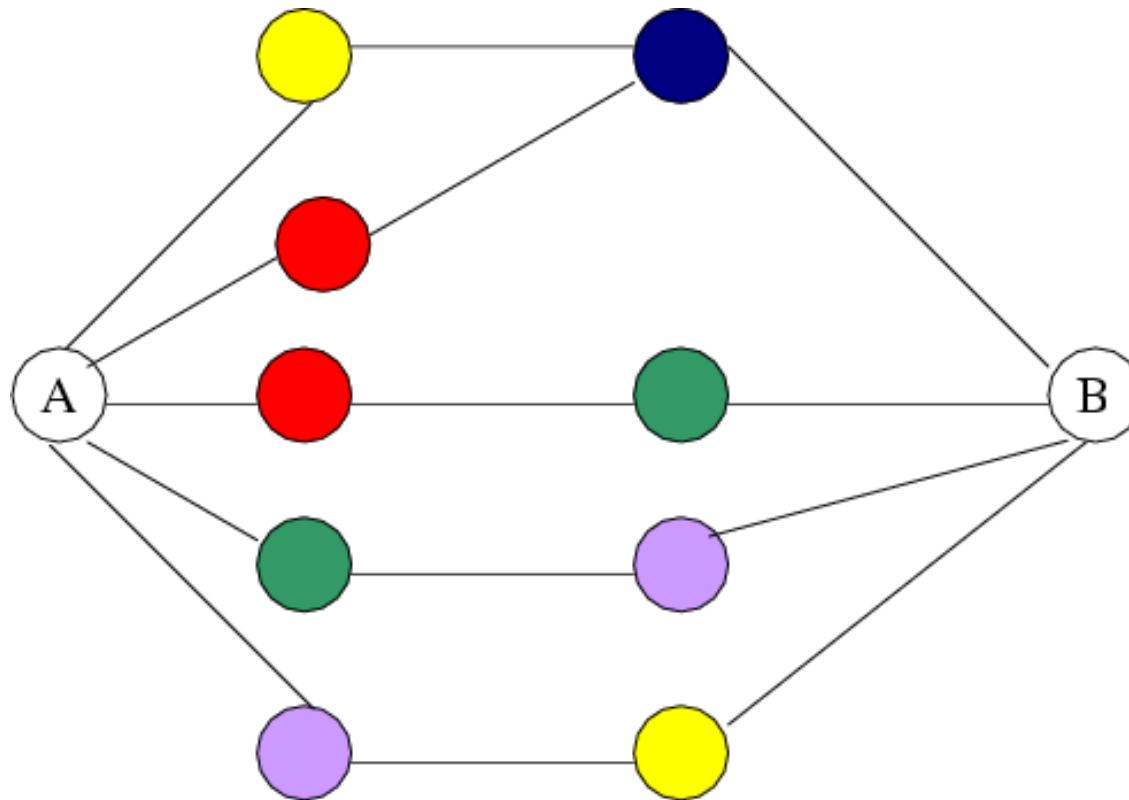
Each node's (CA's) platform is indicated by coloring the node. We proposed in particular:



- Building point-to-point networks with untrusted equipment

- Node level:

As earlier, we color the nodes dependent who built a particular router (or other node equipment). We introduced what we called a  $k$ -color adversary structure. However, we realized that we cannot require to build networks in a similar way as we proposed for PKI. So, Desmedt-Wang-Burmester (2005) considered networks as:



- \* **Positive result:** whether we can achieve privacy and/or reliability, fits within the results on general adversary structures.
  - \* **Negative result:** Desmedt-Wang-Burmester (2006) showed that deciding whether a “colored” graph is  $k$ -color connected, is Co-NP-complete.
- **Link level:**
- The issue that has been addressed (Wang-Desmedt 2011) is fail-and-stop in which  $k + 1$  different modem technology is being used and  $t$  of these might fail one day.

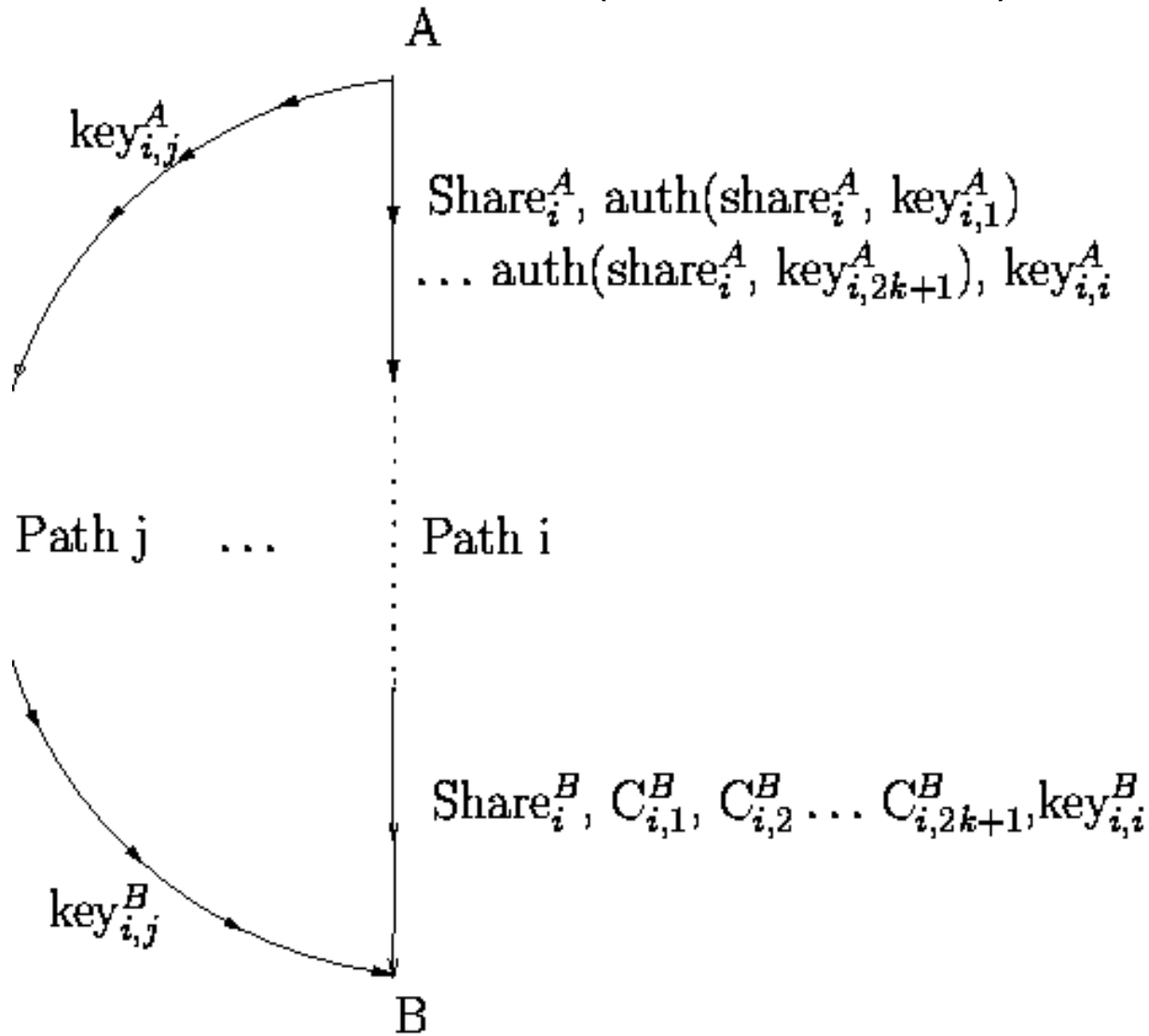


## 9. SOME TECHNIQUES

### Point-to-point: threshold adversary

Dolev-Dwork-Waarts-Yung (1993) non-interactive solution uses  $3t + 1$  vertex disjoint paths. The sender uses  $t + 1$ -out-of- $3t + 1$ . The receiver regards it as a Reed-Solomon code.

Probabilistic solution: For each  $i$  ( $1 \leq i \leq 2k + 1$ ), for each  $j$ :



## Partial broadcast: Franklin-Yung **Algorithm**

$A$  is the sender and  $B$  is the receiver.

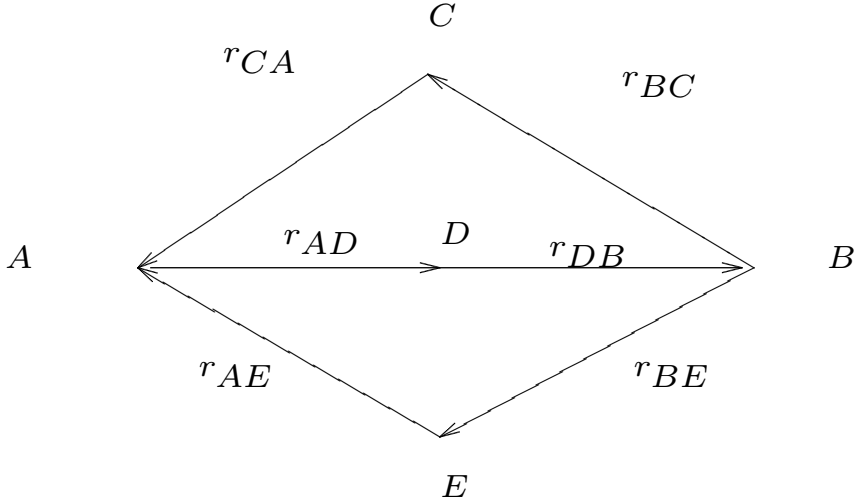
**Step 1** For each hyperedge  $e$  where  $u$  is the originator,  $u$  chooses a random message  $r_e$  and sends it to the recipients of that hyperedge.

**Step 2** Every node computes the sum of messages it has received and subtracts the sum of messages it has sent out. If the node is the actual sender  $A$ , then it adds to this total the message  $M^A$ . Call this sum the “final result” for this node. Each final result, except the one of the actual receiver  $B$ , is propagated by the nodes openly to the receiver  $B$ .

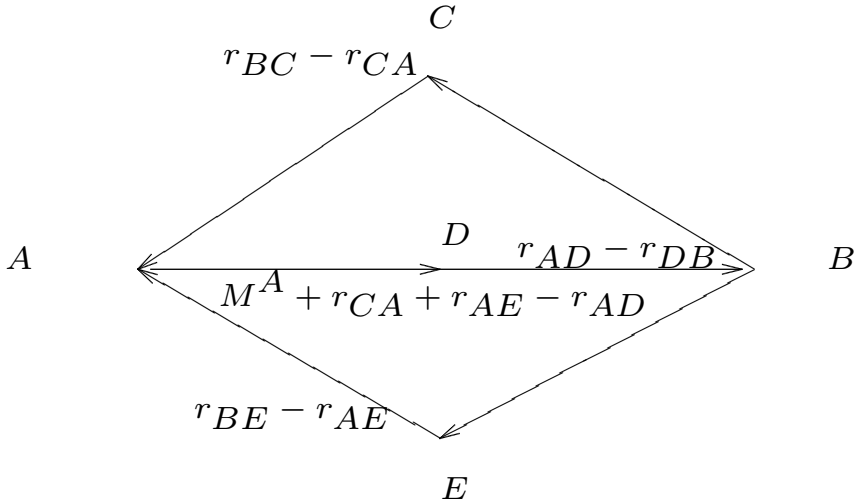
**Step 3**  $B$  adds all final results, including his. The result is the message  $M^B$ .

Example:

Step 1



Step 2



Step 3 Easy to verify.



Let  $V$  be the nodes in the network. An **adversary structure**  $\mathcal{A}_V$  over  $V$  is a subset of the power set  $2^V$  such that if  $B \in \mathcal{A}_V$  then subsets of  $B$  are also in  $\mathcal{A}_V$ .

**Observation** (Desmedt-Wang-Burmester 2005): protocol is independent of adversary structure.

# 10. TECHNIQUES FOR GENERAL ADVERSARY STRUCTURES

Let  $V$  be the nodes in the network. An **adversary structure**  $\mathcal{A}_V$  over  $V$  is a subset of the power set  $2^V$  such that if  $B \in \mathcal{A}_V$  then subsets of  $B$  are also in  $\mathcal{A}_V$ .

If  $\mathcal{Z}_1$  and  $\mathcal{Z}_2$  are adversary structures for  $P$ , then

$$\mathcal{Z}_1 + \mathcal{Z}_2 = \{Z_1 \cup Z_2 : Z_1 \in \mathcal{Z}_1, Z_2 \in \mathcal{Z}_2\},$$

which is also an adversary structure for  $P$ .

$2\mathcal{Z}$  and  $3\mathcal{Z}$  indicate  $\mathcal{Z} + \mathcal{Z}$  and  $\mathcal{Z} + \mathcal{Z} + \mathcal{Z}$  respectively.

**Definition 2.** Let  $G(V, E)$  be a directed graph,  $A, B$  be nodes in  $G(V, E)$ , and  $\mathcal{Z}$  be a an adversary structure on  $V \setminus \{A, B\}$ .

- $A, B$  are called  $\mathcal{Z}$ -separable in  $G$ , if there is a set  $Z \in \mathcal{Z}$  such that all paths from  $A$  to  $B$  go through at least one node in  $Z$ . We say that  $Z$  separates  $A$  and  $B$ .
- $A, B$  are called  $(\mathcal{Z} + 1)$ -connected if they are not  $\mathcal{Z}$ -separable in  $G$ .

A necessary and sufficient condition for  $A$  and  $B$  to privately communicate in the presence of a Byzantine adversary, in the case **all communication links** (edges in the graph) are:

**two-way** is that  $A, B$  are  $(2\mathcal{Z} + 1)$ -**connected** in  $G$   
(Kumar-Goundan-Srinathan-Rangan, 2002).

**one-way without feedback**, is that  $A, B$  are  $(3\mathcal{Z} + 1)$ -**connected** in  $G$   
(Desmedt-Wang-Burmester, 2005: see further).

The **general case, i.e. with feedback channels** has **not** been studied.



## passive adversary

Desmedt-Wang-Burmester, 2005 observed the results of Franklin-Yung (related to partial broadcast) can easily be adapted to general adversary structure, i.e.

- a connectivity of  $\mathcal{Z} + 1$  and 1 strongly connected is necessary and sufficient, and
- a protocol has been proposed which is polynomial in  $|V|$ , the number of nodes in the graph, i.e. logarithmic in  $|\mathcal{Z}|$ .

## Algorithm

$A$  is the sender and  $B$  is the receiver.

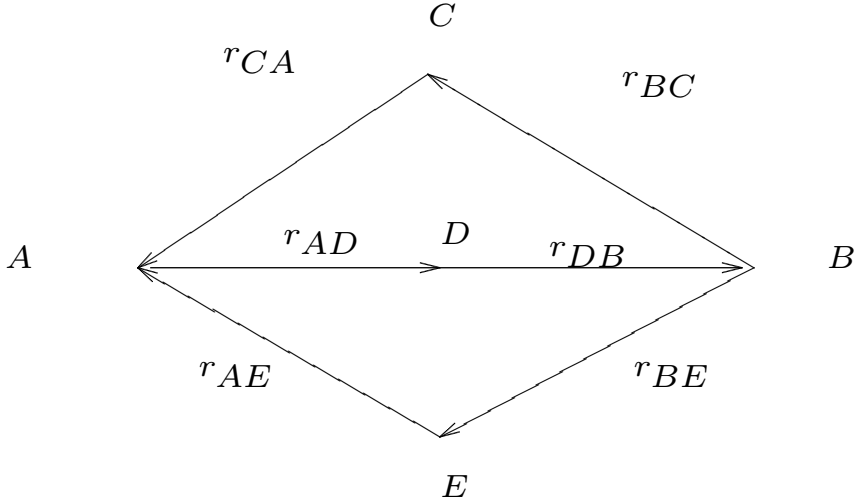
**Step 1** For each edge  $e$  where  $u$  is the originator,  $u$  chooses a random message  $r_e$  and sends it to the recipient of that edge.

**Step 2** Every node computes the sum of messages it has received and subtracts the sum of messages it has sent out. If the node is the actual sender  $A$ , then it adds to this total the message  $M^A$ . Call this sum the “final result” for this node. Each final result, except the one of the actual receiver  $B$ , is propagated by the nodes openly to the receiver  $B$ .

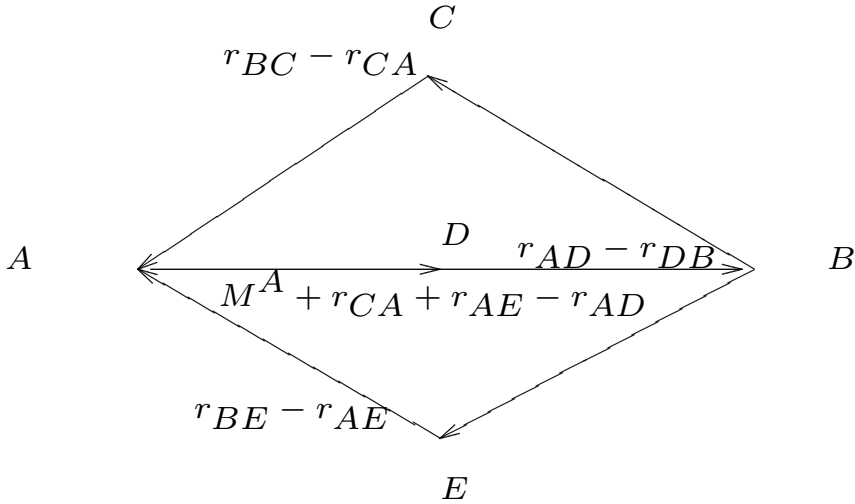
**Step 3**  $B$  adds all final results, including his. The result is the message  $M^B$ .

Example:

Step 1



Step 2



Step 3 Easy to verify.



## Active adversary, no privacy

**Lemma 1.** *Let  $G = G(V, E)$  be a directed graph,  $A, B$  be nodes in  $G$ , and  $\mathcal{Z}_1, \mathcal{Z}_2$  be adversary structures on  $V \setminus \{A, B\}$ . Then  $A, B$  are  $(\mathcal{Z}_1 + \mathcal{Z}_2 + 1)$ -connected if, and only if: for all sets  $Z_1 \in \mathcal{Z}_1$  there is a set  $S_{Z_1}$  of paths between  $A$  and  $B$  such that,*

- *the paths in  $S_{Z_1}$  are free from nodes of  $Z_1$ ,*
- *for every  $Z_2 \in \mathcal{Z}_2$  there is at least one path in  $S_{Z_1}$  that is free from nodes of  $Z_2$ .*

**Theorem 2.** *Let  $G = G(V, E)$  be a directed graph,  $A, B$  be nodes in  $G$ , and  $\mathcal{Z}$  be an adversary structure on  $V \setminus \{A, B\}$ . We have  $\mathcal{Z}$ -reliable message transmission from  $A$  to  $B$  if, and only if,  $A, B$  are strongly  $(2\mathcal{Z} + 1)$ -connected in  $G$ .*

## Algorithm

Assume that  $A, B$  are strongly  $(2\mathcal{Z} + 1)$ -connected in  $G$

Let  $S$  be the set of all directed paths from  $A$  to  $B$ .

**Step 1** For each path  $p \in S$ ,  $A$  sends  $M^A$  to  $B$  over  $p$ .

**Step 2**  $B$  receives  $M_p^B$  through path  $p \in S$ .  $B$  finds a node set  $Z_1 \in \mathcal{Z}$  whose path set  $S_{Z_1}$  is such that the same message  $M^B = M^A$  is received on all its paths.

**Claim:**  $M^B = M^A$ .

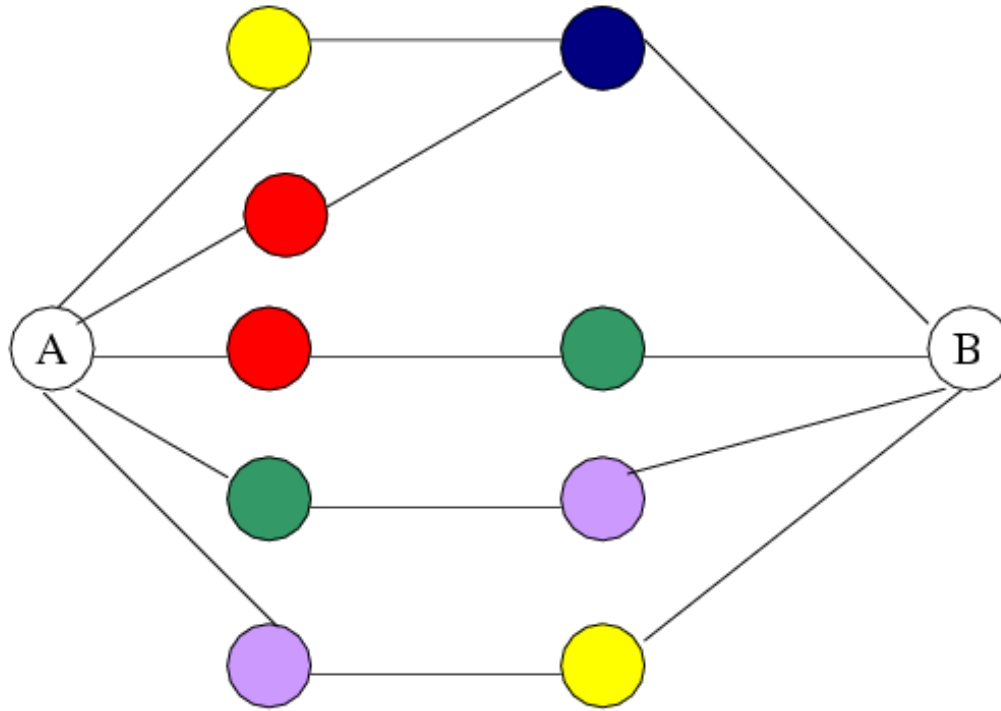
Indeed, Suppose that the adversary selects  $Z_2 \in \mathcal{Z}$ . We have: by Lemma 1 that since  $A, B$  are  $(2\mathcal{Z} + 1)$ -connected, there will be a path  $p_0 \in S_{Z_1}$  free from nodes of  $Z_2$ . On this path  $M_{p_0}^B = M^A$ . Since  $B$  receives the same message from all paths in  $S_{Z_1}$ , we must have

$$M^A = M_{p_0}^B = M^B.$$

It follows that  $B$  can reliably recover the message  $M^A$ .

An interesting adversary structure is the  $t$ -color adversary structure. A weakness of one router/computer can easily be exploited on another one if it runs the same platform. Vertices are given colors.  $t$  colors can be corrupted. It allows to model routers that run the same platform, i.e. have the same weakness, to be assigned the same color.

Color adversary structure is interesting to understand counter-intuitive arguments: i.e.: **color separable is not linked to vertex disjoint paths.**





## New result:

Deciding whether a vertex colored graph with  $C$  the set of colors, is  $\mathcal{Z}_{C,k} + 1$ -connected is co-**NP**-complete.

**Definition 3.** Let  $G(V, E)$  be a directed graph,  $A, B$  be nodes in  $G$ ,  $S$  be a set of simple paths in  $G$  between  $A$  and  $B$ , and  $G_S$  be the graph obtained by removing all nodes and edges of  $G$  not in  $S$ . Let  $\mathcal{Z}$  be an adversary structure. We say that  $S$  is a **minimal  $(\mathcal{Z} + 1)$ -connected path-set from  $A$  to  $B$**  in  $G$ , if

1.  $A$  and  $B$  are  $(\mathcal{Z} + 1)$ -connected in  $G_S$ , and
2. for each path  $p \in S$ ,  $A$  and  $B$  are  $\mathcal{Z}$ -separable in  $G_{S \setminus \{p\}}$ .

**Theorem 3.** *Let  $G = G(V, E, C, f)$  be a colored graph which is  $(\mathcal{Z}_{C,k} + 1)$ -connected. If the number of colors is minimal then the paths in a minimal path-set are node-disjoint and each path is monochrome (all nodes on one path have the same color).*

# 11. IMPLEMENTATIONS

1. Desmedt-Erotokritou-Kearney (unpublished) tried to implement the 1993 non-interactive solution of Dolev-Dwork-Waarts-Yung. The amazing problem we encountered is that:

- the 1993 internet technology would had allowed a 1993 implementation,
- the current internet technology **no longer** allows to implement this.

Reasons:

- to guarantee  $3t + 1$  vertex disjoint paths, we must specify the path a data packet has to follow. Today any packet that uses the standard TCP/IP option to specify the path is dropped by modern routers!!

– companies want to keep the layout of the network private, which causes another difficulty!

2. Desmedt-Cheney (unpublished) designed and implemented a Thunderbird extension using mail servers, as gmail, hotmail, yahoo, etc. **For example**, gmail and hotmail are considered as intermediary nodes between the sender and receiver. So, we consider Google and Microsoft as potential adversaries, **not** working together.

## 12. WHAT VALUE SHOULD WE HAVE FOR $t$ ?

In some totalitarian countries the government has good control of the network. So, if you do not trust your government, in that case it seems that requiring to have paths that are not under control of the government will fail!

**Solution 1:** use postal service.

In many countries, the government controls the postal service.

**Solution 2:** use pigeons!

2009 test in South-Africa showed how a pigeon could transfer a 4GB flash.

# 13. CONCLUSIONS

Building inexpensive operating systems and outsourcing communication equipment comes at a price: **one can no longer trust them!**

However, for several decades solutions have been under research. Unfortunately, they come at a cost: such as **the need for redundancy**, and **the need to reconsider the design of routers**.

The cost of communication is getting low. Indeed, Google's Gigabit fiber has arrived in e.g., Austin (now also AT&T). Sony is offering 2 Gigabit in the Tokyo area. So, (P)SMT, i.e., Perfectly Secure Message Transmission technology should be considered seriously. Moreover, it is easy today to have multiple providers (landline and

mobile).

Although for today's Internet we have implementation problems, for dedicated networks, PSMT is highly recommended. Example: China's Quantum Network gives at best the same security as link encryption, with all its security problems. (It requires all employees in the nodes to be trusted!) PSMT would avoid that problem. Similar solutions could be used for dedicated highly reliable and private communication networks.

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